

A Multi-Line De-Embedding Technique for mm-Wave CMOS Circuits

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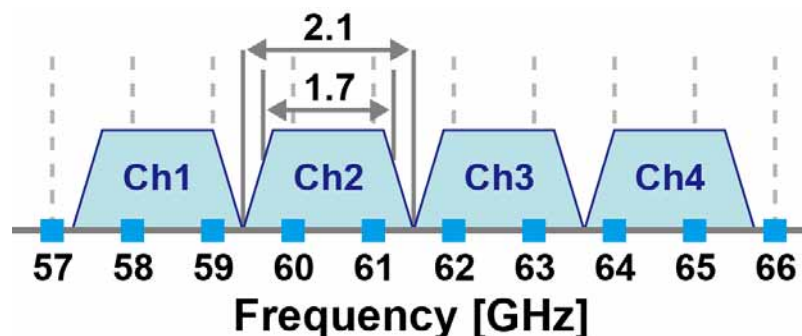
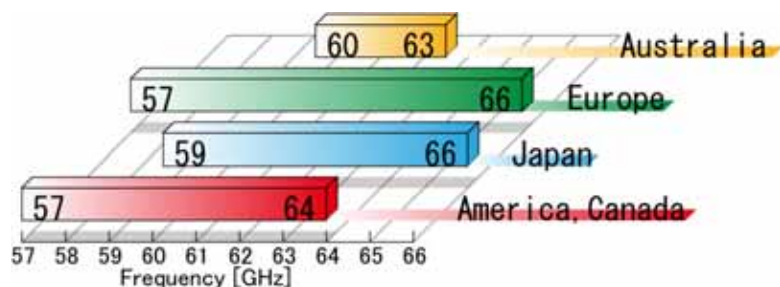
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- **Background**
- **De-embedding**
 - **Conventional Methods**
 - **Proposed Method**
 - **Experimental Results**
- **Conclusion**

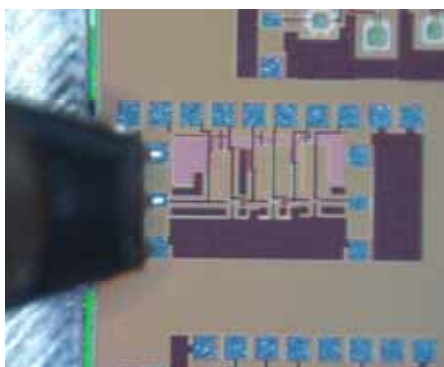
- **CMOS 60GHz RF Circuits**
 - Available wide frequency range without licensees
 - High data rate wireless communication
 - IEEE 802.15.3c
 - 1.7 GHz × 4 ch
 - QPSK 14 Gbps, 16QAM 28 Gbps



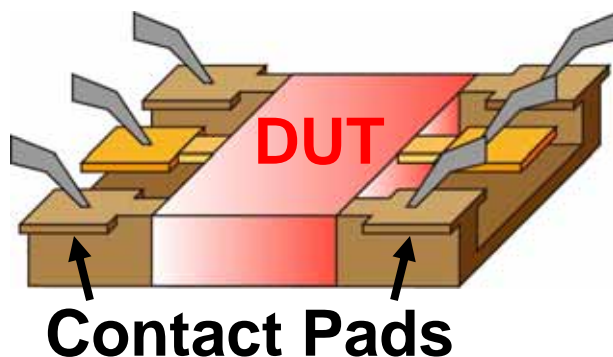
Available frequency range

IEEE 802.15.3c

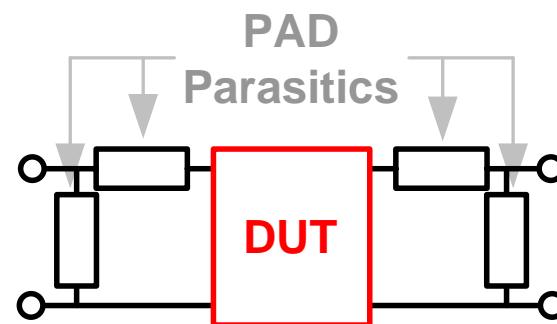
- On-wafer probing measurement
 - Contact pads are needed.
 - Measurement data include the parasitics of pads.
 - At high frequency, parasitic elements becomes problematic.
- De-Embedding
 - Remove parasitic elements from measurement data



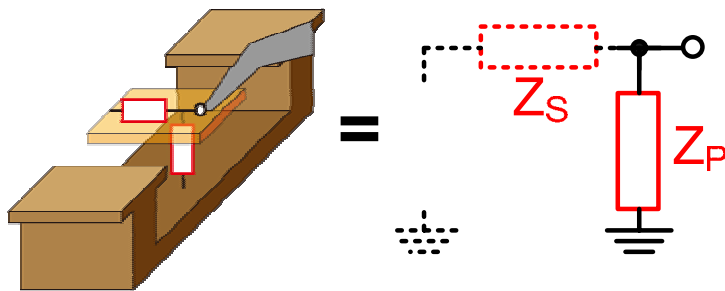
Measurement



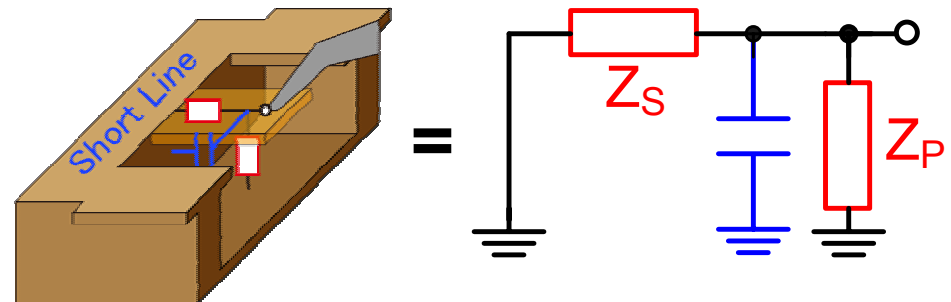
Parasitic elements of contact pads



- **Open-Structure and Short-Structure**
 - Z_P : Parallel element of contact pad
 - Z_S : Series element of contact pad
- **Problem at high frequency**
 - Nonideality of short cannot be neglected.

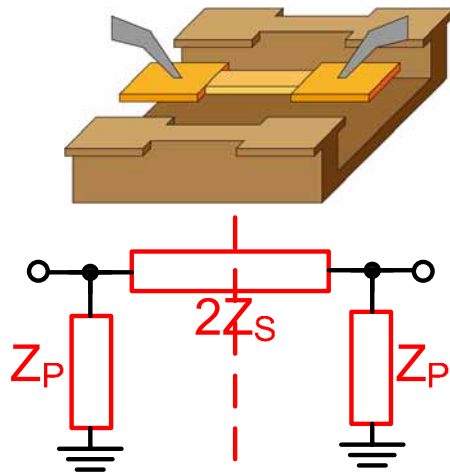


Open-Structure

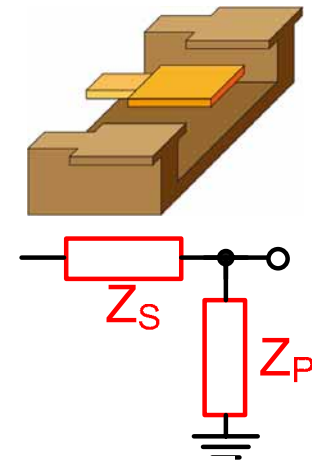
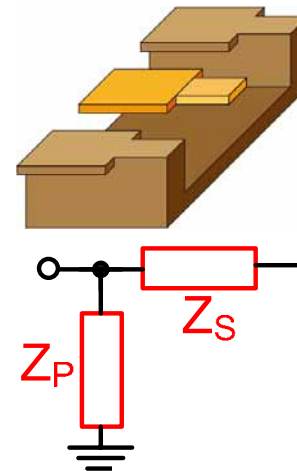
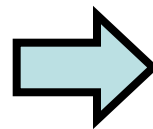


Short-Structure

- **Short-Line-Structure**
 - Replace the measurement result with the “ ”-Model
 - Separate in two symmetric parts
- **Issue of this method at high frequency**
 - Lumped components
 - The line length must be short.
 - The measurement error has large influence.

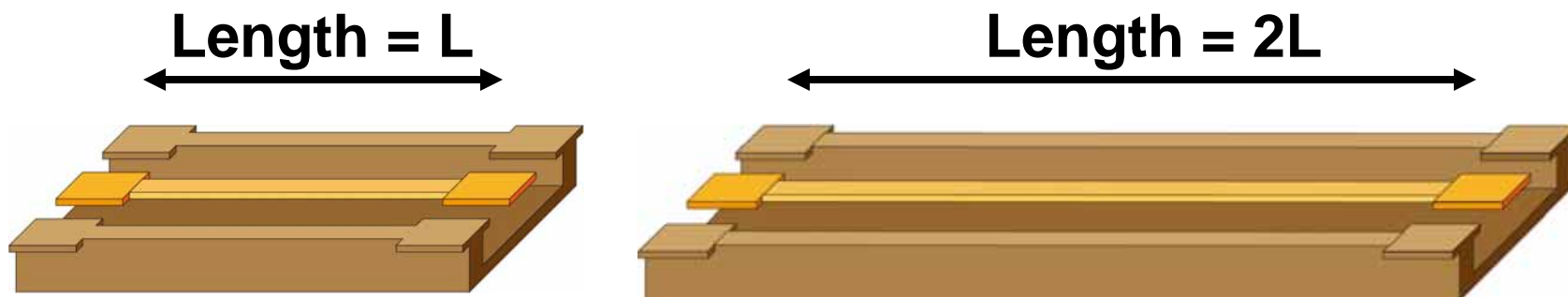


Short-Line-Structure



Models of Pads

- **Multi-Lines De-embedding**
 - The Length of the lines are L and $2L$
 - Not need “Short” or “Short-Line”
 - De-embed transmission lines from the measurement data
 - Build the model of the contact pad
 - Remove the pad from other TEG



Two transmission lines

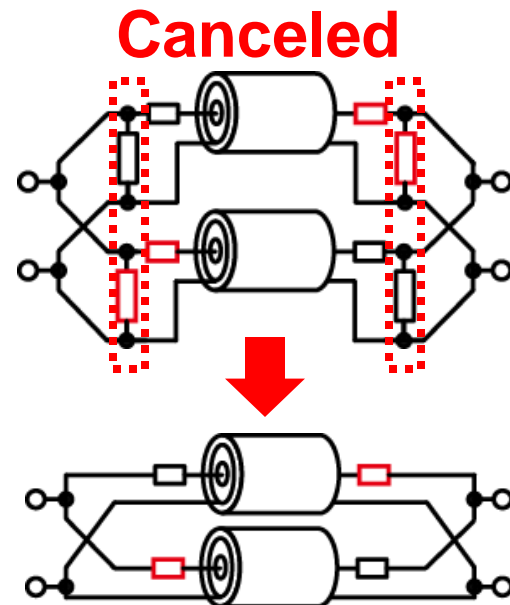
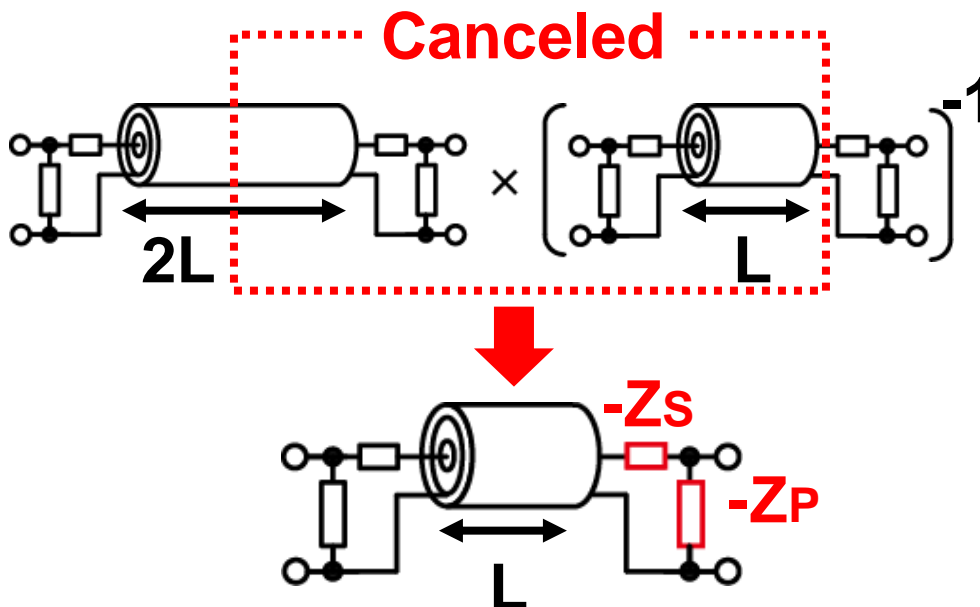
- Use T-parameters

- $T_{2L} \times (T_L)^{-1} = T_{X1}$

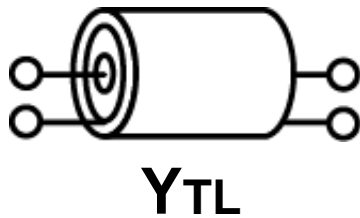
- T-para \Rightarrow Y para : $T_{X1} \Rightarrow Y_{X1}$

- $Y_{X1} + \text{Swap}(Y_{X1}) = Y_{X2}$

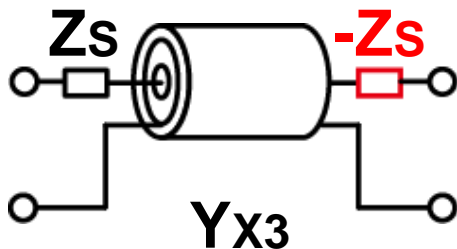
- The parallel components are canceled



- Intrinsic Transmission Line : Y_{TL}
 - Symmetrical matrix
- $Y_{X3} = Y_{TL}$ with Z_s and $-Z_s$
- $Y_{X2} = Y_{X3} + \text{Swap}(Y_{X3})$
 - $Y_{X2} = 2Y_{TL}$



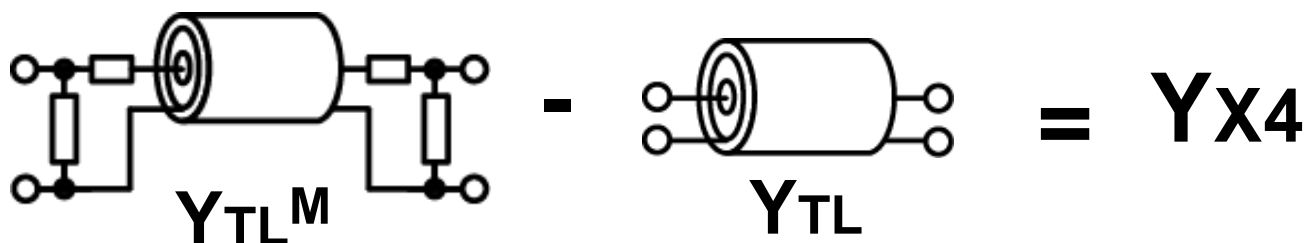
$$Y_{TL} = \begin{bmatrix} Y_{TL_1} & Y_{TL_2} \\ Y_{TL_2} & Y_{TL_1} \end{bmatrix}$$



$$Y_{X3} \cong \begin{bmatrix} Y_{TL_1} - X & Y_{TL_2} \\ Y_{TL_2} & Y_{TL_1} + X \end{bmatrix}$$

$$X = Z_S (Y_{TL_1}^2 - Y_{TL_2}^2)$$

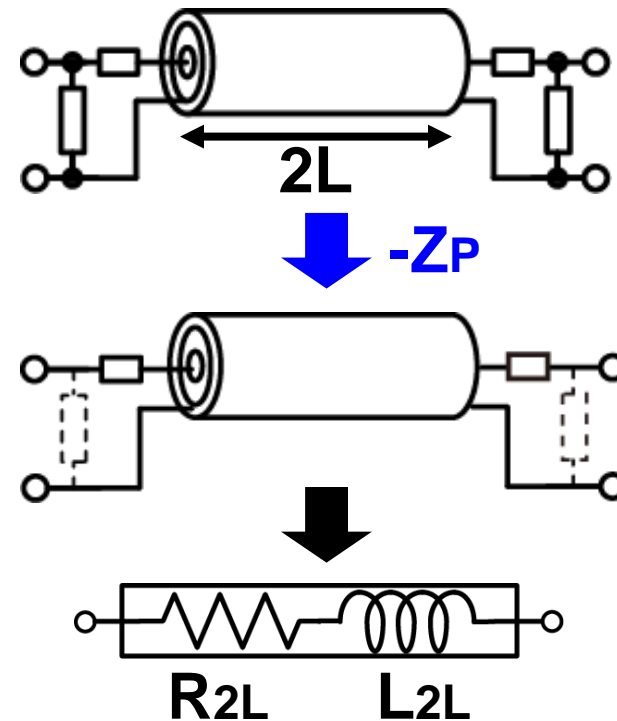
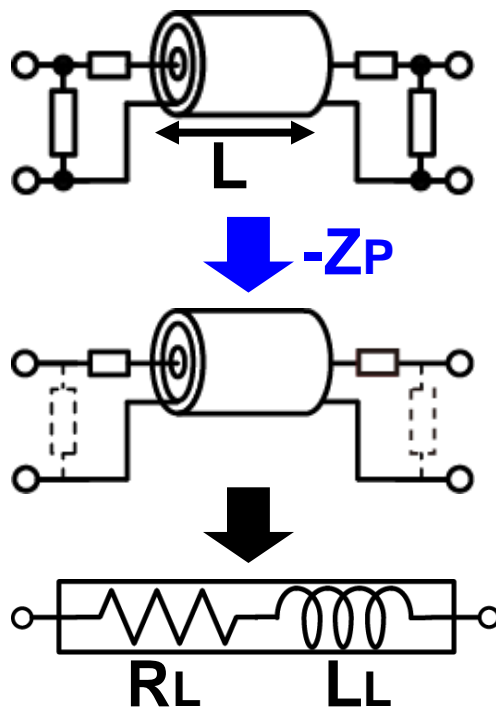
- **Parallel element of pad : Z_P**
 - Measurement data of TL : Y_{TL}^M
 - $Y_{TL}^M - Y_{TL} = Y_{X4}$
 - $Y_{X4}(1,1) + Y_{X4}(1,2) = 1 / Z_P$
 - Using approximation



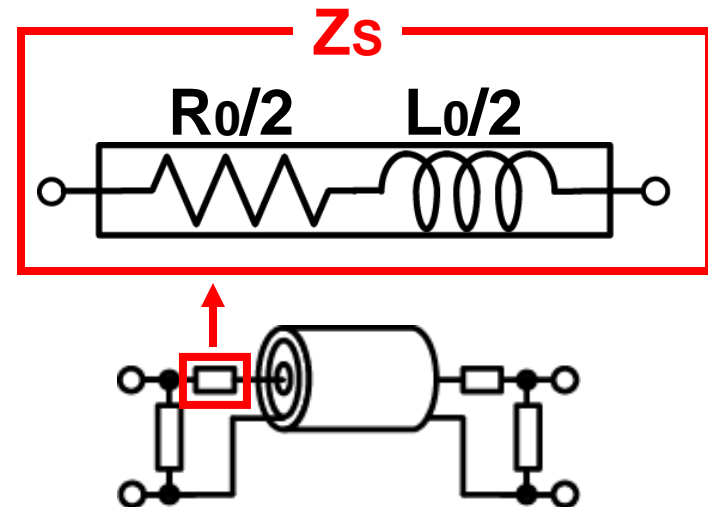
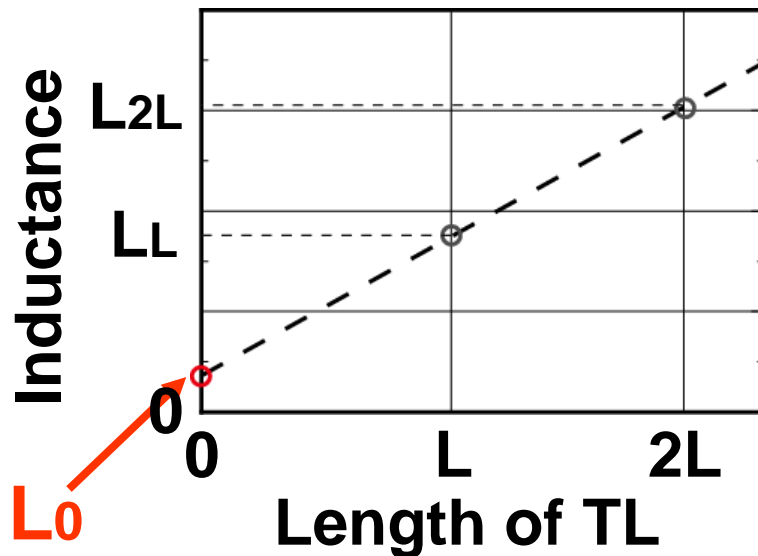
Requirement of the approximation

$$\frac{(Y_{TL_1} + Y_{TL_2})^2 \cdot Z_S \cdot Z_P}{1 + (Y_{TL_1} + Y_{TL_2}) \cdot Z_S} \ll 1$$

- Series element of pad : Z_s
 - Subtract Z_P from Y_{TL}^M
 - Approximate by Lumped Components
 - Inductance and Resistance



- Plot the calculated Inductances
 - L_0 : Offset of Inductance
- Perform the Same Process about R
- Z_s : $L_0/2$ and $R_0/2$



- CMOS 65nm process
- TL structure
 - CPW with bottom ground metal
 - $W = 10$ [μm], $H = 8$ [μm], $G = 15$ [μm]
 - Length of TLs : 200, 400 [μm]
- Pad structure
 - Signal pad : 40×60 [μm^2]

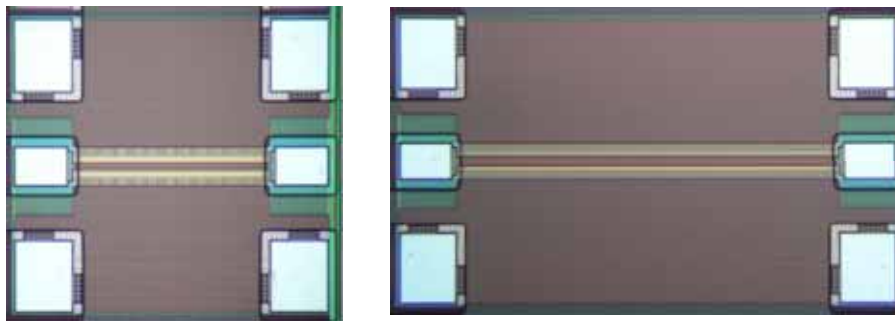
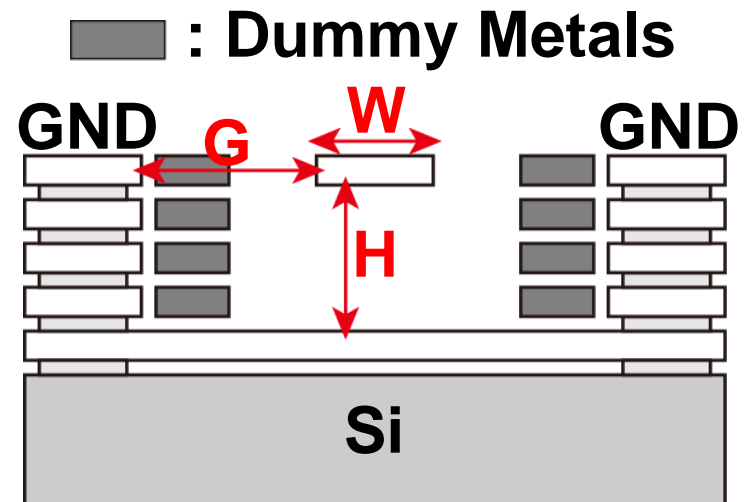


Photo of TLs



Structure of TL

- Make pad models by each methods
- De-embedding of different-length TLs
- Calculate Z_0 of TL from S-parameter
- Compare Z_0
 - Calculated from 200mm-TL
 - Calculated from 400mm-TL

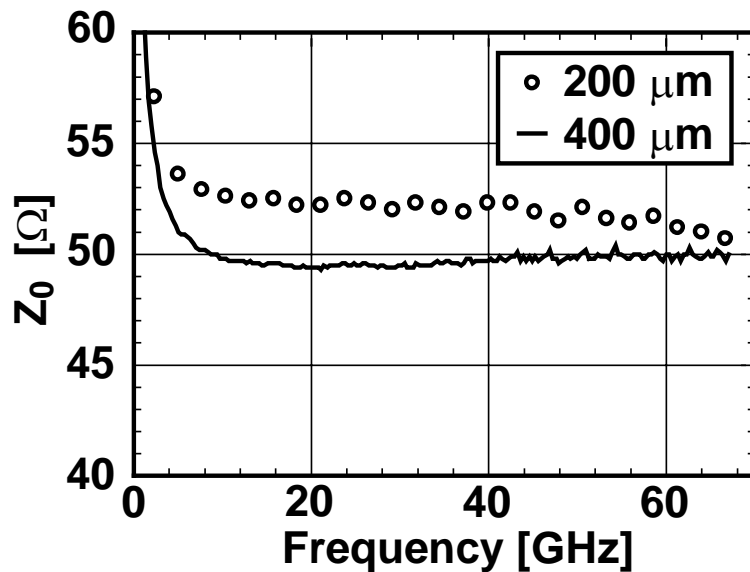
$$Z^2 = Z_0^2 \frac{(1 + S_{11})^2 - S_{21}^2}{(1 - S_{11})^2 - S_{21}^2}$$

Z_0 : Normalized Impedance

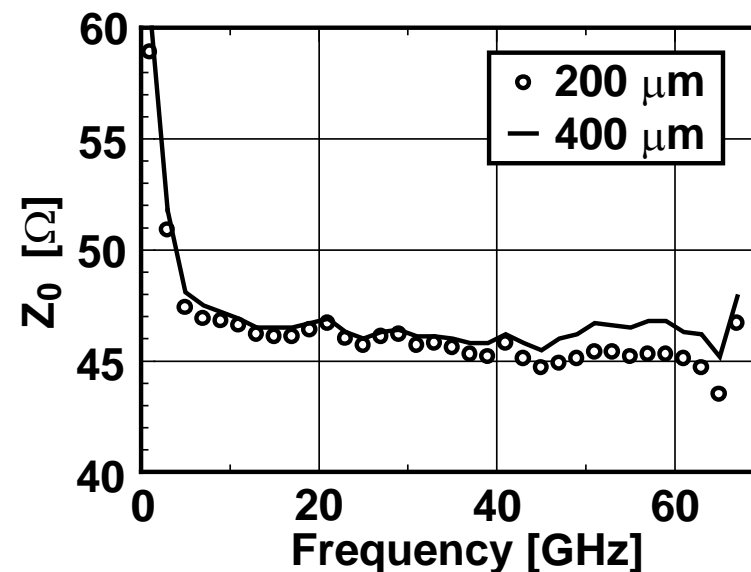
Z : Characteristic Impedance

[1] W. R. Eisenstadt, *et.al.*, "S-parameter-Based IC Interconnect Transmission Line Characterization"

- **Open-Short Method**
 - Characteristic Impedances of 200 μm and 400 μm don't agree with each other.
- **Thru-only Method**
 - The results are unstable.

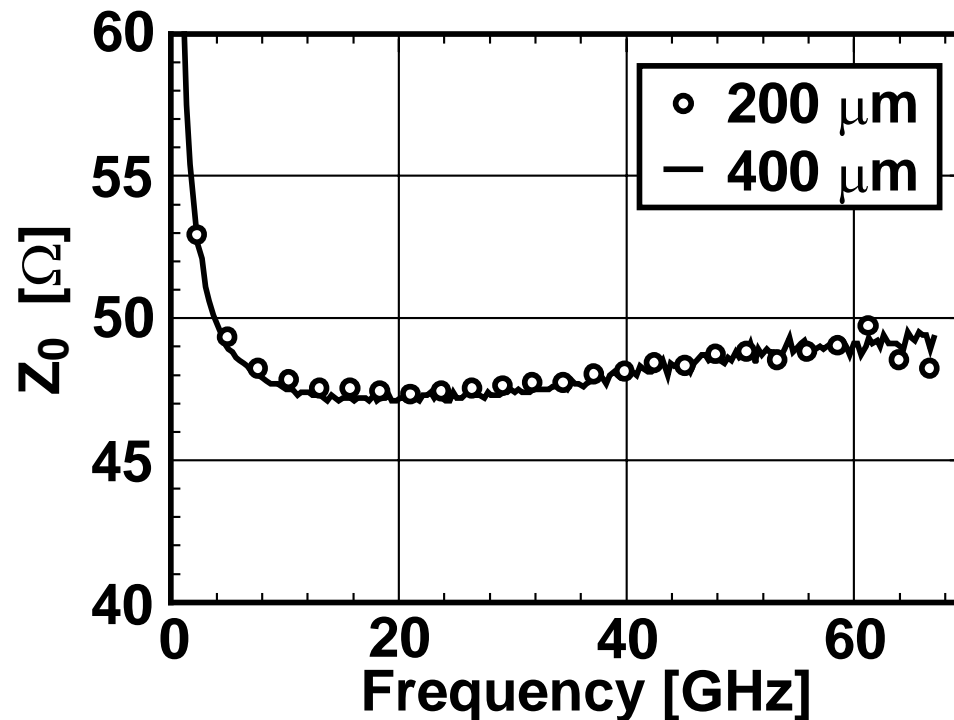


Open-Short Method



Thru-only Method

- **Characteristic Impedance of TLs**
 - The Impedances of $200\mu\text{m}$ and $400\mu\text{m}$ agree with each other.
 - The results are stable.



- **The de-embedding method for designing mm-Wave circuits is proposed.**
- **This method can be applied to not only TLs but also other TEGs.**
- **Using this method, the characteristic impedances of different-length TLs agree with each other and the result are stable compared with conventional methods.**

Thank you for your attention!